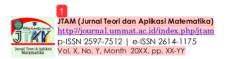
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Submission date: 11-Mar-2022 09:54AM (UTC+0700) Submission ID: 1781586450 File name: UTAM_6912-25368-1-RV.docx (742.49K) Word count: 3713 Character count: 21468



Fuzzy Support Vector Machine (FSVM) Using Function Linear Membership and Exponential with Mahanalobis Distance

Article History:

ABSTRACT

Received :D-M-20XX Revised :D-M-20XX Accepted :D-M-20XX Online :D-M-20XX

Keyword:

Support Vector Machine (SVM); Fuzzy Support Vector Machine (FSVM); Polynomial kernel; Mahalanobis distance;



Support vector machine (SVM) is one of effective biner classification technic with structural risk minimization (SRM) principle. SVM method is known as one of successful method in classification technic. But the real-life data problem lies in the occurrence of noise and outlier. Noise will create confusion for the SVM when the data is being processed. On this research, SVM is being developed by adding its fuzzy membership function to lessen the noise and outlier effect in data when trying to figure out the hyperplane solution. Distance calculation is also being considered while determining fuzzy value because it is a basic thing in determining the proximity between data elements, which in general is built depending on the distance between the point into the real class mass center. Fuzzy support vector machine (FSVM) uses Mahalanobis distances with the goal of finding the best hyperplane by separating data between defined classes. The data used will be going over trial for several dividing partition percentage transforming into training set and testing set. <u>Although theoretically FSVM is able to overcome noise and outliers</u>, the results show that the accuracy of FSVM, namely 0.017170689 and 0.018668421, is lower than the accuracy of the classical SVM method, which is 0.018838348 Even though theoretically FSVM is able to solve noise and outlier, but the result of this research showed that FSVM accuracy value is lower than the accuracy of classic SVM method. The existence of fuzzy membership function is extremely influential in deciding the best hyperplane. Based on that, determining the correct fuzzy membership is critical in FSVM problem,

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1995 to predict, either classification case or regression. SVM theory is based on structural ris minimization (SRM) principle (VAPNIK & N, 1995). On its many applications, SVM has alread

proven to show a better performance than conventional machine learning and has already buil

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a reputation because of its different approach in classification. That's the reason this algorithm is being introduces as an effective tool to solve classification problem (Lin & Wang, 2002).

Aside of mathematical foundation in theoretic statistic learning, SVM has shown a very competitive performance in a lot of real world application, for the example in text mining (Manochandar & Punniyamoorthy, 2018), bioinformatic (Battineni et al., 2019)(Viloria et al., 2020), face recognition (Anzid et al., 2019), and graphic processing that has established SVM as one of the tool in machine learning and data mining, together with the other software and computation technic, for the example neural network and fuzzy system (Ladwani, 2018). SVM based algorithm, just like the other algorithm, has a drawback that is sensitive to noise and outlier (Mohammadi & Sarmad, 2019), [J. Liu, 2020), (Xiaokang et al., 2016b).

Uncertainty can be defined as the absence in class membership criteria that is defined sharply rather than random variable [J.ROSS, 2010). Theory and fuzzy group method can solve the uncertainty and the vagueness. This is extremely useful to tackle a complex real-world problem, including the problem in introducing prediction inference and control, and decision making. The combination of fuzzy group theory and classification technic in determining a class come in a handy to improve the ability of classifier generalization [Lin & Wang, 2002] (Mohammadi & Sarmad, 2019) (Inoue & Abe, 2001; Jiang et al., 2006; W. Liu et al., 2020; Richhariya & Tanveer, 2018; Wu, 2011).

According to [Lin & Wang, 2002], one of the criteria that is widely chosen to consider one point as outlier is the appropriate distance to the center of class. Euclidean distance is a general common distance. Euclidean distance has been applied in FSVM by Surono, Nursofiyani, et al., 2021) for classification. But this distance is not an appropriate metric for data with correlation feature. As alternative method, Mahalanobis distance is often being used to measure the distance of every point to class center while also taking covariant into consideration [Mohammadi & Sarmad, 2019].

To lessen the noise and outlier effect, fuzzy membership function combined with SVM can give a lighter mass to the outlier data point. A new fuzzy membership function is being proposed to be formed using mixed kernel function on future space <u>fluet al.</u>, 2009). Based on research <u>fluet al.</u>, 2009), the results of the smallest training error and testing error are found in mixed kernels, where the training error is 0.00457893 and the testing error is 0.01598367. Three FSVM models were created and normal SVM was selected as a reference for comparison and it can effectively reduce noise impact and improve classification accuracy. The results showed that FSVM had the best classification performance compared to SVM <u>[Xiaokang et al.</u>, 2016b]. Three FSVM models are made and normal SVM <u>[Xiaokang et al.</u>, 2016b] is chosen as reference in comparison and can effectively lessening the noise impact and increasing classification accuracy. To tackle the outlier, An dan Liang <u>[An & Liang</u>, 2013] proposed a fuzzy support vector machine based on class scattering to solve classification problem. FSVM Interval type-2 is proposed to be able to reach the level of accurate classifier <u>[Ekong et al.</u>, 2016].

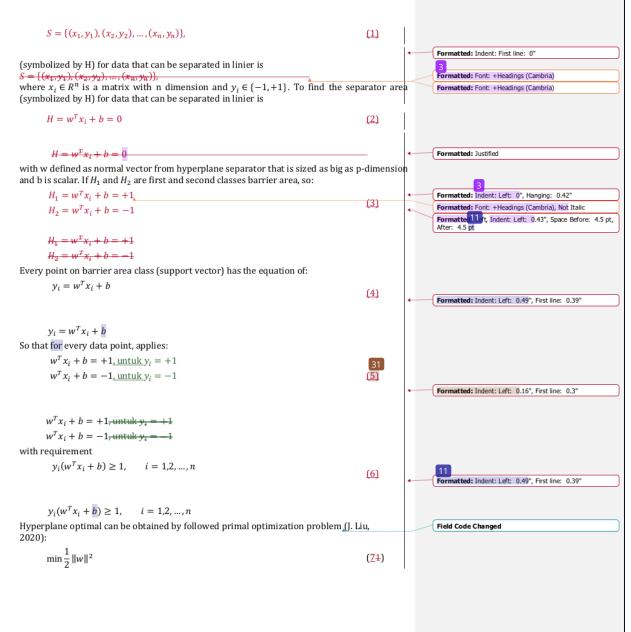
To solve this problem, we propose the fuzzy support vector machine (FSVM) with different fuzzy membership value and using Mahalanobis distance to measure the distance of each point to the class center. The method used is especially targeted to improve SVM in lessening noise and outlier effect in data point.

G.B. METHODS

1. Support Vector Machine

Support Vector Machine (SVM) is a biner classification method to find the best hyperplane by separating defined data between classes. Support vector machine is a biner classification algorithm that maximizes margin around the hyperplane separator and minimizes training fault at the same time. For the example S is in n group training sample (Lu et al., 2009),

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If the data training is unable to be separated by linier, slack variable ξ_i can be added as misclassification from difficult data training or noise. Slack variable addition will change the formula into [Xiaokang et al., 2016a]:

$$\min \frac{1}{2} \|w\|^2 + C \sum_{i=1}^n \xi_i$$
(82) with the requirement,
$$y_i(w^T x_i + b) \ge 1 - \xi_i; \quad \xi_i \ge 0; \ 1 \le i \le n$$

$y_i(w^T x_i + b) \ge 1 - \xi_i; \quad \xi_i \ge 0; -1 \le i \le n.$

Optimal hyperplane in (2) can be obtained by transforming the primal shape into the double shape of quadratic programming (QP). Equivalent double problem can be solved based on the condition of Kuhn-Tucker (KKT) Lagrange multiplier (Mohammadi & Sarmad, 2019),

$\max \sum_{i=1}^{n} \alpha_i - \frac{1}{2} \sum_{i=1}^{n} \sum_{j=1}^{n} \alpha_i \alpha_j y_i y_j x_i^T x_j$

with the requirement,

n

$$\sum_{l=0}^{n} \alpha_l y_l = 0; \ 0 \le \alpha_l \le C; \ 1 \le i \le n$$

$$\sum_{i=0}^{n} \alpha_{i} y_{i} = 0; \ 0 \le \alpha_{i} \le C; \ 1 \le i \le n,$$

where $\alpha = (\alpha_i, ..., \alpha_n)$ is a vector multiplier Lagrange. Finding α_i by solving the quadratic optimization problem so can found the result as follows:

$$w^* = \sum_{i=1}^{n} \alpha_i y_i x_i$$

According to KKT condition, bias definition can be solved by (Mohammadi & Sarmad, 2019):

$$b^* = y_i - \sum_{i=1}^{n} \alpha_i^* x_i y_i$$
(135)

also, can be solved for every supporting vector (based on the observation that the suitable α_i is bigger than zero). Sample point x_i is classified based on function sign in which explained as follows (Mohammadi & Sarmad, 2019):

$$f(x) = sign(w^{T}(x_{i}) + b)$$
(146)

For non-linier data can be separated in feature room, kernel function $K(x_i, x_j) = \phi(x_i)\phi(x_j)$ is used to find the optimal hyperplane in higher dimension room, in which $\phi(x_i)$ is a non-linier mapping function. In research conducted by **(Ningrum, 2018)**, of the three kernels used, the kernel with a polynomial function provides the highest classification accuracy value, with an Field Code Changed

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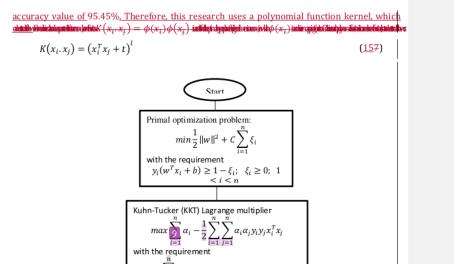
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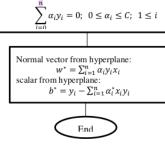


Figure 1. Flowchart SVM

2. ruzzy Support Vector Machine

2019):

atted: 12 pt, English (United States) Formatted: ullets or numbering Even though SVM [4] an effective biner classification method, it is sensitive towards noise and outlier. Similar to SVM, the purpose of FSVM is to find the optimal separating hyperplane that is separating sample point into two classes with n4 kimum margin. In the year of 2002, (Lin & Wang, 20 21) extension method from SVM called Fuzzy Support Vector Machine (FSVM) Field Code Changed was proposed. In FSVM, every data training point is given a fuzzy membership value symbolized by μ_i . The effect of outlier data point over classification accuracy can be lessened by giving a value to fuzzy membership because the outlier data point is unable to show the correct ownership on the d 20 ed class. Outlier data point is going to have a small fuzzy membership value. Usually, fuzzy membership function is designed based on the distance from suitable center class. These will minimalize the impact on error and on the forming of Field Code Changed dividing area. For the example a S data set filled with training points (Mohammadi & Sarmad,

6 | JTAM (Jurnal Teori dan Aplikasi Matematika) | Vol. X, No. X, Month 20XX, pp. XX-YY $S = \{(x_1, y_1, \mu_1), (x_2, y_2, \mu_2), \dots, (x_n, y_n, \mu_n)\}$ where every data training point $x_i \in R_n$ is a class in the label of $Y_i \in \{1, -1\}$ and fuzzy membership value, where $0 < \mu_i \le 1$ for i = 1, ..., n. The optimal formula of hyperplane for this problem is $min\frac{1}{2}\|w\|^{2} + C\sum_{i=1}^{n}\xi_{i}\mu_{i}$ (<u>16</u>8) with the requirement, $y_i (w^T x_i + b) \ge 1 - \xi_i; \ \xi_i \ge 0; \ 1 \le i \le n.$ (17) Formatted Table $y_i (w^T x_i + b) \ge 1 - \xi_i; \quad \xi_i \ge 0; \quad 1 \le i \le n.$ To solve the FSVM optimal problem, (4) is being transformed into following double problem by introducing Langrangian multiplier: $max\sum_{l=1}^{n} \alpha_{l} - \frac{1}{2}\sum_{l=1}^{n}\sum_{j=1}^{n} \alpha_{l}\alpha_{j}y_{l}y_{j}x_{l}^{T}x_{j}$ with the requirement, Formatted Table (18)(20) $\sum_{i=0}^{n} \alpha_i y_i = 0; \ 0 \le \alpha_i \le \mu_i C; \ 1 \le i \le n,$ $= 0; \ 0 \le \alpha_i \le \mu_i C; \ 1 \le i \le n,$ The only difference between fuzzy SVM with classic SVM is the upper limit α_i , which is obtained from multiplying both from parameter C and μ_i . 3. Mahalanobis Distance Mahalanobis distance is a statistic method used to obtaining a data with certain distance Formatted: Space After: 4 pt over the data average so that the data distribution with patter over average value is obtained. Mahalanobis distance can be defined as the distance of two points involving covariant or correlation between the changer. Mahalanobis distance between two objects are being presented in the shape of vector and matrix. This distance is taking account of correlation be 7 veen variable, because it is considered as the opposite of covariant matrix in calculation. Field Code Changed It can be defined as (Mohammadi & Sarmad, 2019): (21) $d = \sqrt{(x - \bar{x})^T S^{-1} (x - \bar{x})}$ Formatted: List Paragraph, Left, Indent: Left: 0.36", Hanging: 0.13", Right: 0", Space Before: 4.5 pt, After: 4.5 pt Formatted: Indent: First line: 0" $d = \sqrt{(x - \bar{x})^T S^{-1} (x - \bar{x})}$ where x is a vector of p-dimension in \mathbb{R}^{p} , \overline{x} is a vector of a sample average and S^{-1} shows and inversion of covariant matrix. For the example, the used data is formed based on the amount

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of p variable and the amount of observation N. So that it is obtained the matrix form $p {\times} p$ written as follows:

$$S = \begin{bmatrix} cov(x_1, x_1) & cov(x_1, x_2) & \dots & cov(x_1, x_p) \\ cov(x_2, x_1) & cov(x_2, x_2) & \dots & cov(x_2, x_p) \\ cov(x_3, x_1) & cov(x_3, x_2) & \dots & cov(x_3, x_p) \\ \vdots & \vdots & \ddots & \vdots \\ cov(x_p, x_1) & cov(x_p, x_2) & \dots & cov(x_p, x_p) \end{bmatrix}$$

$$S = \begin{bmatrix} cov(x_2, x_1) & cov(x_2, x_2) & \dots & cov(x_2, x_p) \\ cov(x_3, x_1) & cov(x_3, x_2) & \dots & cov(x_3, x_p) \\ \vdots & \vdots & \ddots & \vdots \\ cov(x_p, x_1) & cov(x_p, x_2) & \dots & cov(x_p, x_p) \end{bmatrix}$$

where to the covariant value can be found by using the formula below:

$$S_{ij} = \frac{1}{N-1} \sum_{i=1}^{N} (x_{ij} - \bar{x}_j) (x_{ij} - \bar{x}_j)$$

$$S_{ij} = \frac{1}{N-1} \sum_{i=1}^{N} (x_{ij} - \bar{x}_j) (x_{ij} - \bar{x}_j)$$

with $i=1,2,\ldots,N,$ dan $j=1,2,\ldots,p.$

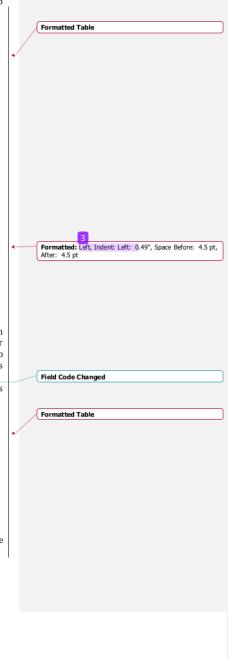
4. Membership Function

Fuzzy membership function in linier case. In FSVM, fuzzy membership is used to lessen the effect of outlier or noise and a different fuzzy membership function will give another result in fuzzy algorithm. Basically, the rule to determine the correct membership value to data point can depend on relative importance of date point to their own class. On this research, we consider two fuzzy membership functions given in (Lu et al., 2009). Definition 1. μ_{lin} as FSVM 1 is referred as fuzzy linier membership and μ_{lin} can be defined as follows

$$\mu_{lin} = \begin{cases} \frac{1 - d_l}{(max(d_{l+}) + \delta)} & \text{if } y_l = 1\\ \frac{1 - d_l}{(max(d_{l-}) + \delta)} & \text{if } y_l = -1 \end{cases}$$

$$\mu_{lin} = \begin{cases} \frac{1 - d_t}{(max(d_{l+}) + \delta)} & \text{if } y_l = 1\\ \frac{1 - d_t}{(max(d_{l+}) + \delta)} & \text{if } y_l = -1 \end{cases}$$
(10)

in which \square is a small positive value used to avoid the value of μ_{lin} becoming zero. Definition 2. μ_{exp} as FSVM 2 is referred as exponential fuzzy membership and μ_{exp} can be defined as



$$\mu_{exp} = \begin{cases} \frac{2}{1 + exp(\lambda d_{i+})} & \text{if } y_i = 1\\ \frac{2}{1 + exp(\lambda d_{i-})} & \text{if } y_i = -1 \end{cases}$$

$$\mu_{exp} = \begin{cases} \frac{2}{1 + exp(\lambda d_{i+})} & \text{if } y_i = 1\\ \frac{2}{1 + exp(\lambda d_{i+})} & \text{if } y_i = -1 \end{cases}$$
(11)

in which the parameter of $\mathbb{Z} \in [0, 1]$ decides the steepness of disintegration.

$$d_{i} = \begin{cases} \sqrt{(x_{i} - \bar{x}_{+})^{T} S^{-1}(x_{i} - \bar{x}_{+})}, & \text{if } y_{i} = 1 \\ \sqrt{(x_{i} - \bar{x}_{-})^{T} S^{-1}(x_{i} - \bar{x}_{-})}, & \text{if } y_{i} = -1 \end{cases}$$

$$d_{i} = \begin{cases} \sqrt{(x_{i} - \bar{x}_{+})^{T} S^{-1}(x_{i} - \bar{x}_{+})}, & \text{if } y_{i} = -1 \\ \sqrt{(x_{i} - \bar{x}_{-})^{T} S^{-1}(x_{i} - \bar{x}_{+})}, & \text{if } y_{i} = -1 \end{cases}$$

$$(12)$$

in which d_i is the calculation of Mahalanobis distance based on its class while also \leftarrow considering the inside covariant.

5. Dataset

The experiment is done with medical data extracted from UCI database repository in the form of diabetes risk. It is very probable that this real dataset will have several noise and outlier in a different amount. The group of data is composed of 520 people (328 males and 192 females, aged between 16 to 90 years old). The data is obtained from questionnaire that is directly given to the people who just diagnosed with diabetes or who haven't but showing symptoms. The data variables are $x_1(Age)$, $x_2(Sex)$, $x_3(Polyuria)$, $x_4(Polydipsia)$, $x_5(Sudden weight loss)$, x_6 . (Weaknes), x_7 (Polyphagia), x_8 (Genital thrush), x_9 (Visual blurring), $x_{16}(Ithing)$, $x_{16}(Obesity)$, and y(Class).

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D.C. RESULT AND DISCUSSION

In this section we will examine the performance of the membership function based on the Mahalanobis distance. To test the performance of our algorithm, FSVM using Mahalanobis distance will be compared with classic SVM. Diabetes data with the an 2 int of data as much as 520 and the number of variables as many as 16 variables. The data is processed several times by modifying the amount of training data. The amount of training data used in this study is 70%, 80% and 90% where the number of positive class data and negative class data is shown in Table 1. While data that is not included in data training is defined as data testingOn this part we are going to test the performance of membership function based on Mahalanobis distance. To test our algorithm performance, FSVM using Mahalanobis distance will be compared with classic SVM. The experiment is done with medical data extracted from UCI database repository in the form of diabetes risk. It is very probable that this real dataset will have set 26 l noise and outlier in a different amount. The group of data is composed of 520 people (328 males and 192 females, aged between 16 to 90 years old). The data is obtained from questionnaire that is symptoms. The data variables are x_1 (Age), x_2 (Sex), x_3 (Polyuria), x_4 (Polydipsia), x_5 (Sudden

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The diabetes data is being processed several times by modifying the amount of data training. The amount of data training that is used in this research are 50%, 60%, 70%, 80% are 90% in which the amount of positive class data and negative class are being shown on Table 1. While the data that is not included in data training is defined as data testing.

		Table 1. Data G	roup Composition		
13)ata	Data	Data	Data Testing	Data Testing	Data Testing
Training	Training	Training	(%)	Positive	Negative
(%)	Positive	Negative		Class	Class
	Class	Class			
70	138	226	70	62	94
80	160	256	80	40	64
90	183	285	90	17	35

Input:

- Data training sample $\{6, y_i\}, i = 1, 2, 3, \dots, m\}$
- Data testing sample $\{(x_j, y_j), j = 1, 2, 3, ..., n\}$
- Output:
- Label prediction of y_j from data $\{x_j, j = 1, 2, 3, ..., n\}$
- Process:
- 1) Calculating the distance using (12) for data { $(x_i, y_i), i = 1, 2, 3, ..., m$ }
- 2) Calculating fuzzy membership function using (10) or (11)
- 3) Determining the C parameter to calculate $\alpha^*(9)$, $w^*(4)$ dan $b^*(5)$ by using QP solver for data $\{(x_i, y_i), i = 1, 2, 3, ..., m\}$ that has been changed using polynomial kernel (7)
- 4) Use the decision function (6) with sample x_j and resulting in the last class label
 - Algorithm 1. Fuzzy 27 port vector machine using Mahalanobis distance

Calculating membership function is the most important thing in FSVM. Before calculating the fuzzy membership function, measuring the distance is done first, the reason for this is to determine the approach size for each sample data over class data distribution center. The data used is processed using Python software. By using (12) so the distance is obtained as follows Calculating membership function is the most important thing in fuzzy SVM. Before calculating the fuzzy membership function, measuring the distance is done first, the reason for this is to determine the approach size for each sample data over class data distribution center. By using (12) so the distance is obtained as follows:

Table 2. Result of Mahalanobis Distance with Data Training Value Consecutively: 70%, 80% and 90%

	x_i	Training	x_i	Training	x_i	Training
		Sample 70%		Sample 80%		Sample 90%
	<i>x</i> ₁	2.639358425	x_1	2.055891072	<i>x</i> ₁	4.308982858
	<i>x</i> ₂	3.845592898	x_2	5.340175795	<i>x</i> ₂	3.248246951
	<i>x</i> ₃	4.742628051	x_3	3.56063521	x_3	2.881856185
	x_4	4.613615806	x_4	3.974708829	x_4	4.002542938
	:	:	:	:	:	:
_	x364	5.1728267425	x416	5.276751408	x468	5.18299005
_		23				

After obtaining the distance value, the next step is to calculate the fuzzy membership function using (10) to determine linier membership function 24 hd (11) to determine exponential membership function. The calculation result is showed in Table 3 and Table 4 below:

	Table 3. Calcu	lation result	using linier members	hip function	
xi	Training	xi	Training	xi	Training
	Sample 70%		Sample 80%		Sample 90%
x ₁	0.664967575	<i>x</i> ₁	0.751512912	<i>x</i> ₁	0.457729376

_	<i>x</i> ₂	0.511851705	<i>x</i> ₂	0.354554942	x_2	0.6176725
	x3	0.425916232	x3	0.54837909	x3	0.637328343
_	x4	0.414361127	x4	0.519593312	x4	0.496293782
_	:		:	:	:	:
_	x364	0.343376529	x416	0.33071176	x468	0.347738586

x_i	Training	x_i	Training	x_i	Training
	Sample 70%		Sample 80%		Sample 90%
x_1	0.170132299	<i>x</i> ₁	0.271674893	x_1	0.040542005
x2	0.060883023	<i>x</i> ₂	0.016225731	<i>x</i> ₂	0.102015577
x_3	0.027622474	x_3	0.077988088	<i>x</i> ₃	0.139093769
x_4	0.030970704	<i>x</i> ₄	0.054385374	<i>x</i> ₄	0.053075611
1	:		1	:	:
x ₃₆₄	0.018838348	x416	0.017170689	x468	0.018668421

Table 5. Accuracy result of SVM, FSVM-1, and FSVM-2 by modifying data training and different parameter value of C

x_i	Training	x_i	Training	x_i	Training
	Sample 70%		Sample 80%		Sample 90%
<i>x</i> ₁	0.170132299	<i>x</i> ₁	0.271674893	<i>x</i> ₁	0.040542005
x_2	0.060883023	<i>x</i> ₂	0.016225731	x_2	0.102015577
x_3	0.027622474	x_3	0.077988088	x_3	0.139093769
x_4	0.030970704	x_4	0.054385374	x_4	0.053075611
:				:	
x364	0.018838348	x416	0.017170689	x468	0.018668421

Accuration of classification in Table 2 show that the result of SVM classic. The accuracy classification result shown in Table 2 explain that the performance of SVM classic has a better accuracy on every data training comparison than FVSM that has been modified with Mahalanobis distance. <u>However, the research cd 22 ctcd by (Mohammadi & Sarmad, 2019)</u> showed the best performance was with FSVM, but the data used in this study was different from the data used in this study. Thus, it is safe to say that the method of giving fuzzy membership value for data training will play an important role when FSVM method is applied in a group of data. In another word, an incorrect method in determining membership value can worsen the performance of the model compared to SVM classic model. The accuracy result in Table 2 is presented in a form of graphic line as follows.



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Figure 12: Accuracy result of SVM, FSVM-1, dan FSVM-2 by modifying data training and different parameter value of C

Figure 2 is a comparison of the accuracy of SVM, FSVM-1, and FSVM-2. Accuracy results using training data with 70%, 80%, and 90%. Based on Figure 1, the accuracy results for SVM have better accuracy results compared to FSVM modified with Mahalanobis distance.

E.D. CONCLUSION AND SUGGESTIONS

In this essay, we suggest FSVM method with consideration of Mahalanobis distances. On this research, we propose the FSVI 19 ethod while also considering Mahalanobis distance. The proposed distance has the goal to characterize the distance of different data point to the real group of class. FSVM will determine the fuzzy membership value for every input point so that another input point can give a different contribution in decision making. By determining different fuzzy, that is linier membership function and exponential membership function, we are able to observe the FSVM performance in solving different kind of problem easily. This will enrich our knowledge on SVM application that is developed with fuzzy. Even though by adding fuzzy membership doesn't always guarantee a better result that SVM classic. It also means tha the act of adding a correct fuzzy membership is extremely crucial in generalizing FSVN performance in classification problem. In this study, the data used were 520 data. The result of data accuracy from the FSVM method are 0.017170689 and 0.018668421. While the result of the SVM accuracy of 0.018838348. This shows that adding fuzzy membership does no always guarantee better results than classical SVM. This also means that the act of adding the correct fuzzy membership is very important in generalizing the performance of FSVM in classification problems.

ACKNOWLEDGEMENT

Thanks to the Head of The Study Center of Science Data Laboratory for the resources given.

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